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# Hydrogen exchange methods to study protein folding

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## Abstract

The measurement of amino acid-resolved hydrogen exchange (HX) has provided the most detailed information so far available on the structure and properties of protein folding intermediates. Direct HX measurements can define the structure of tenuous molten globule forms that are generally inaccessible to the usual crystallographic and NMR methods (C. Redfield review in this issue). HX pulse labeling methods can specify the structure, stability and kinetics of folding intermediates that exist for less than 1 s during kinetic folding. Native state HX methods can detect and characterize folding intermediates that exist as infinitesimally populated high energy excited state forms under native conditions. The results obtained in these ways suggest principles that appear to explain the properties of partially folded intermediates and how they are organized into folding pathways. The application of these methods is detailed here. © 2004 Elsevier Inc. All rights reserved.

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# 1. Introduction

Hydrogen exchange (HX) rates measured by available techniques [1,2] can reveal the presence and the absence of protecting structure at amino acid resolution, quantify thermodynamic stability, and determine the kinetics of structure formation and loss. The challenge has been to devise methods that can bring these capabilities to bear on invisible, short-lived, and non-isolatable folding intermediates. This challenge has been met.

This paper describes some of the major HX methods that have been applied to the protein folding problem, details the theory necessary for interpretation of the results, and shows some illustrations from the literature.

# 2. HX rate

Hydrogens on the polar groups of proteins and nucleic acids engage in continual exchange with the hydrogens of solvent [1,3-7]. Because of the extreme

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 $pK_a$  values of main chain amides, the exchange of their hydrogens with solvent is relatively slow and is catalyzed only by the strongest of aqueous acids and bases,  $H_3O^+$  and  $OH^-$  ions [5,8,9]. One result is that freely exposed amide hydrogens exchange rather slowly, in about 1s at pH 7 and 0°C. Protecting (H-bonded) structure further slows these rates and spreads them over many orders of magnitude, placing them on a generally convenient laboratory time scale. Another fortunate consequence is that amide exchange can be easily and controllably manipulated. A factor of 10 in rate can be obtained by a change of one pH unit, or about 22 °C in temperature. Nucleic acid hydrogens tend to exchange much more rapidly, even in structured molecules [5,10], which reduces their usefulness, although hydrogens H-bonded in RNA tertiary structure can be quite slow.

We focus here on protein amide hydrogens which have been most useful in folding studies.

# 2.1. Steady-state theory (Linderstrøm-Lang)

For structurally protected hydrogens, Linderstrøm-Lang and his colleagues pictured a 2-state situation, as

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in Eq. (1), with hydrogens either non-exchangeable in the protected state (NH(closed)) or susceptible to exchange in some transiently open form (NH(open)) [3,4,11,12]

$$\mathbf{NH}(\mathbf{closed}) \stackrel{k_{\mathrm{op}}}{\underset{k_{\mathrm{cl}}}{\longleftrightarrow}} \mathbf{NH}(\mathbf{open}) \stackrel{k_{\mathrm{ch}}}{\rightarrow} \mathbf{exchanged}.$$
(1)

Here,  $k_{op}$  and  $k_{cl}$  are the opening (unfolding) and closing (folding) rates of the protecting structure. The chemical exchange rate of freely available, unprotected amide hydrogens,  $k_{ch}$ , depends on a variety of conditions (pH, temperature, neighboring amino acid side chains, and isotope effects). These factors have been calibrated to high precision [13–15] and so can be obtained by straightforward calculation [16,17]. HX protection is usually associated with H-bonding, although hydrogens that are structurally protected even without H-bonding can be modestly slowed [18-20].

Under steady-state conditions, the exchange rate  $(k_{ex})$ determined by reaction scheme (1) is given by Eq. (2) [3,4]

$$k_{\rm ex} = \frac{k_{\rm op}k_{\rm ch}}{k_{\rm op} + k_{\rm cl} + k_{\rm ch}},\tag{2}$$

where  $k_{ch}$  for the unprotected amide can be calculated independently. Most of the HX literature assumes stable structure ( $k_{op} \ll k_{cl}$ ) and starts with Eq. (3)

$$k_{\rm ex} = \frac{k_{\rm op}k_{\rm ch}}{k_{\rm cl} + k_{\rm ch}}.$$
(3)

This equation reduces to two limiting cases. Under EX2 (bimolecular exchange) conditions where  $k_{cl} \gg k_{ch}$  (low pH and temperature), the exchange rate becomes

$$k_{\rm ex}^{\rm EX2} = \frac{k_{\rm op}k_{\rm ch}}{k_{\rm cl}} = K_{\rm op}k_{\rm ch}, \quad K_{\rm op} = k_{\rm op}/k_{\rm cl}.$$
 (4)

The stabilization free energy of the protecting structure can then be calculated as

Rate (s<sup>-1</sup>)

$$\Delta G_{\rm HX} = -RT \ln K_{\rm op} = -RT \ln (k_{\rm ex}/k_{\rm ch}). \tag{5}$$

Under EX1 (monomolecular exchange) conditions where  $k_{\rm cl} < k_{\rm ch}$  (high pH, high temperature, low stability), the exchange rate limits at the opening rate of the protecting structure

$$k_{\rm ex}^{\rm EX1} = k_{\rm op}.$$
 (6)

These equations translate HX rates measured in EX1 and EX2 modes into information about the thermodynamics and kinetics of the protecting structure. The relationships that connect EX1 and EX2 behaviors are shown in Fig. 1.

# 2.2. Pre-steady-state theory (Hvidt)

A more general pre-steady-state solution for HX determined by reaction scheme (1), without any assumptions about the relative magnitudes of  $k_{op}$ ,  $k_{cl}$ , and  $k_{ch}$ , was given by Hvidt (and J. Schellman) [12] (see also Appendix I of [21]) and can be written as in Eq. (7)

$$H_{\text{label}} = 1 - \left(\frac{k_{\text{ch}}[\text{NH}(\text{open})]_{t=0} - \lambda_2}{\lambda_1 - \lambda_2}\right) e^{-\lambda_1 t} - \left(\frac{\lambda_1 - k_{\text{ch}}[\text{NH}(\text{open})]_{t=0}}{\lambda_1 - \lambda_2}\right) e^{-\lambda_2 t},$$
(7)  
$$\lambda_{1,2} = \frac{k_{\text{op}} + k_{\text{cl}} + k_{\text{ch}} \pm \sqrt{(k_{\text{op}} + k_{\text{cl}} + k_{\text{ch}})^2 - 4k_{\text{op}}k_{\text{ch}}}}{2},$$

where  $H_{\text{label}}$  is the fraction of HX labeling obtained during the experimental exchange time, t.  $[NH(open)]_{t=0}$ is the fraction of open form present at time zero of exchange.

Eq. (7) shows that single amino acid HX can be biexponential, with rate constants  $\lambda_1$  and  $\lambda_2$ , when a given residue is present in both protected and unprotected forms, for example, when the protecting structure is not very stable  $(k_{op} \sim k_{cl})$  and refolding is slow compared to



Fig. 1. Hydrogen exchange in the EX2 (pH-dependent) and EX1 (pH-independent) regions. HX rate increases 10-fold per pH unit in the EX2 region, but is ultimately limited by the rate of the opening reaction that exposes the hydrogens to exchange. The limiting rate is reached (EX1) when  $k_{ch} > k_{cl}$ , so that every opening leads to exchange and  $k_{ex} = k_{op}$ .

exchange  $(k_{\rm cl} < k_{\rm ch})$ . The  $\lambda_1$  term in Eq. (7) refers to initially unprotected hydrogens, which can exchange relatively rapidly before reclosing (neither EX1 nor EX2). The  $\lambda_2$  term describes hydrogens that are protected and can exchange by either EX1 or EX2 modes, depending on conditions.

The relative amplitude of the kinetic phases, in brackets, depends on the magnitude of the individual rate constants and the initial fraction of open form. If equilibrium between the open and closed forms is already established at time zero of the H-exchange period,  $[NH(open)]_{t=0}$  can be written as

$$[\mathbf{NH}(\mathbf{open})]_{\mathrm{eq}} = \frac{k_{\mathrm{op}}}{k_{\mathrm{op}} + k_{\mathrm{cl}}}.$$
(8)

If exchange is initiated after a folding time of  $t_f$  (as in a pulse labeling experiment),  $[NH(open)]_{t=0}$  is

$$[NH(open)]_{t_{\rm f}} = \frac{k_{\rm op}}{k_{\rm op} + k_{\rm cl}} + \frac{k_{\rm cl}}{k_{\rm op} + k_{\rm cl}} e^{-(k_{\rm op} + k_{\rm cl})t_{\rm f}}$$
(9)

assuming no protection in the unfolded state.

When structure is fully formed and stable  $(k_{cl} \gg k_{op}; \lambda_2 \ll \lambda_1; [NH(open)] \sim 0)$ , Eq. (7) transforms to Eq. (2). In the case of pH-competition experiments where the unfolded protein is mixed directly into refolding conditions at high pH,  $[NH(open)]_{t=0}$  is 1. Eq. (7) then reduces to the pH-competition solution given before [22–24,58], when the structure that develops in time provides complete protection against exchange  $(k_{cl} \gg k_{op}, k_{ch})$ .

For other conditions, the relationships implied by Eq. (7) can be difficult to visualize intuitively. Fig. 2 may be helpful. For the purpose of simulations, assume that the system is in structural equilibrium at time zero of exchange so that Eq. (8) holds. Fig. 2 shows the two rate constants in Eq. (7) and their pre-exponential amplitudes as a function of  $k_{ch}$ , which can be varied experimentally (pH, temperature). The curves are simulated for five amides with  $k_{op}$  fixed at  $10 \text{ s}^{-1}$ , but with differing protection ( $K_{op}$ ), corresponding to the values of  $k_{cl}$  listed.

At high  $k_{ch}$  ( $k_{ch} > k_{cl}$ ), the exposed NH's ( $\lambda_1$  term, panels A and C) exchange at the  $k_{ch}$  rate; the amplitude is the fraction of amides exposed (Eq. (8)). At lower  $k_{ch}$ ,  $\lambda_1$  limits at the rate for structural equilibration ( $\lambda_1 = k_{op} + k_{cl}$ ), but the amplitude approaches zero. The panels B and D, for  $\lambda_2$ , show the HX behavior usually considered. At low  $k_{ch}$  (EX2 region; Eq. (4)),  $\lambda_2 = K_{op}k_{ch}$ ; when  $k_{ch}$  increases,  $\lambda_2$  approaches  $k_{op}$  (EX1 region; Eq. (6)). When structure is stable, the  $\lambda_2$  term accounts for all of the measured amplitude. However, when a significant unprotected fraction pre-exists and fails to equilibrate ( $k_{ch} > k_{cl}$ ), the amplitude of the  $\lambda_1$ term becomes significant; the amplitude of the  $\lambda_2$  term decreases in compensation.

Fig. 2E shows the fractional H-label observed for the same five amides at an exchange time of  $0.7/k_{op}$ . The  $k_{cl}$  value determines the rising portion of the curve whereas

the plateau value at which the fractional H-label levels off at high  $k_{ch}$  values (high pH) is controlled by the  $k_{op}$ value and the fraction of the open form present at the time of pulse,  $[NH(open)]_{t=0}$ . It is important to note that although all the five amides have the same  $k_{op}$  value, the plateau level varies because  $[NH(open)]_{t=0}$  varies for each amide. In the case of amides where stable structure is formed ( $K_{op} < 0.01$ ),  $[NH(open)]_{t=0} = 0$  and the plateau level is controlled by just the  $k_{op}$  value.

These considerations require that the HX kinetics of any given hydrogen should be fit with the two-exponential HX equation when  $K_{op} > 0.01$ , or when pre-existing open forms fail to re-equilibrate rapidly. When protecting structure is stable ( $K_{op} < 0.01$ ), the amplitude of the fast component is vanishingly small, HX kinetics becomes single exponential, and the measured rate constant,  $\lambda_2$ , can then be approximated by Eq. (2) (given by the first term of the Taylor expansion).

# 3. HX pulse labeling

## 3.1. The experiment

The structure of intermediates that accumulate transiently during 3-state kinetic folding can be studied by an HX pulse labeling method [25–29], illustrated in Fig. 3.

In a typical experiment, the protein is initially unfolded in D<sub>2</sub>O, for example in concentrated denaturant or at low pH. All the amide protons (NH) exchange to deuterium (ND). Folding is initiated by rapid dilution into folding buffer in H<sub>2</sub>O (stopped flow). The folding buffer is kept at fairly low pH so that exchange is slower than folding and little exchange occurs. For example, at pH 6 and 10 °C, an average amide exchange time is about 3 s. After some folding time  $t_f$ , a brief H-labeling pulse ( $t_p \sim 50 \text{ ms}$ ) is applied by mixing with high pH buffer. For example, at pH 10 and 10 °C, exchange time is  $\sim 0.3$  ms. Amides that are still unprotected exchange to NH but those in already formed structure are protected. A third mix into low pH terminates labeling. Within seconds the protein folds to its native state, which freezes the H–D labeling profile imposed before.

The protein samples are concentrated (~1 h; Amicon centrifugal filters) and moved into  $D_2O$  buffer for NMR analysis (gel filtration [30–32]). Samples can be stored at -80 °C pending analysis. A 2D NMR spectrum, which requires minutes to hours, can then read out the H–D profile imprinted previously with millisecond time scale resolution. Control experiments to calibrate crosspeak amplitudes at 0 and 100% labeling, and to quantify the contribution of background labeling at times other than the labeling pulse, especially during sample workup, are run as described in Section 3.2.



Fig. 2. The relationships implied by Eq. (7) when the pulse labeling time is held constant and  $k_{ch}$  is varied (by pH). Sites that are exposed when the pulse is initiated ( $\lambda_1$  term, panel A) exchange at the unprotected  $k_{ch}$  rate at high  $k_{ch}$  values. Protected sites ( $\lambda_2$  term, panel B) are exchange labeled as indicated in Fig. 1; rate increases with  $k_{ch}$  (i.e. pH) in the EX2 region and then reaches a constant plateau in the EX1 region (where  $k_{ch} > k_{cl}$ ). As stability increases ( $K_{op} = k_{op}/k_{cl}$  decreases), the relative amplitude of the slow phase (panel D) increases at the expense of the fast phase (panel C). The latter falls to zero as reclosing ( $k_{cl}$ ) outcompetes the unprotected exchange rate ( $k_{ch}$ ). Panel E shows the fractional H-label for the same five amides for an exchange time of 70 ms.

The labeling results, analyzed using the equations given above, can show the structure of intermediates that accumulate in 3-state folding. Repetition of the experiment with different folding times before the labeling pulse can determine the kinetics of structure formation at each amino acid [25,26]. Variation of the pulse strength (pH or  $t_p$ ) can provide site-resolved stability information when exchange from the protected form is EX2, or can yield opening and closing rates when exchange is EX1 [27,33–35].

## 3.2. Data analysis

For 2D NMR data analysis, the fractional degree of H–D labeling at each amino acid ( $H_{obs}$ ) is normalized to its 100% crosspeak amplitude, as in Eq. (10). The pertinent crosspeak volume (V), relative to an internal non-exchanging reference ( $V^{ref}$ ), is compared to the ratio for the same residue when it is fully labeled. The fully labeled crosspeak volumes are determined in control experiments for native protein exchanged to equilibrium in



Fig. 3. The HX pulse labeling experiment. When an intermediate accumulates in 3-state kinetic folding, a brief H–D exchange labeling pulse can selectively label still unprotected sites. The sites that were protected and unprotected at the time of the pulse can be read out much later by 2D NMR analysis of the native protein.

the same H<sub>2</sub>O/D<sub>2</sub>O mixture used for the experimental labeling pulse. Full equilibration can be rapidly obtained at elevated temperature, where  $K_{op} \sim 10^{-3}$  or so, while minimizing irreversible denaturation. When no internal standard is available, as for HSQC spectra using <sup>15</sup>N<sup>-1</sup>H crosspeaks, each individual 2D spectrum can be normalized to a non-exchanging peak in a 1D <sup>1</sup>H spectrum for the same sample

$$H_{\rm obs} = \frac{V/V^{\rm ref}}{V_{\rm C}/V_{\rm C}^{\rm ref}}.$$
(10)

Measured  $H_{obs}$  contains several contributions in addition to the desired value for labeling of the partially folded intermediate during the experimental pulse ( $H_{I,pulse}$ ). Additional H-labeling can occur before and after the pulse ( $H_{bkgd}$ ), especially during the sample workup. Also, during the high pH pulse, the fraction of the population that does not occupy the intermediate state can accumulate label.

To evaluate  $H_{bkgd}$ , the entire experiment is carried out exactly as before but without applying any pulse. This contribution to  $H_{obs}$  is given in Eq. (11), where  $(1 - H_{pulse})$  is the fraction of each amide not labeled during the pulse. As can be seen in Fig. 4, the background correction is larger when the pulse pH is low because a larger fraction of unlabeled amide is available for background labeling during the sample workup

$$H_{\rm obs} = H_{\rm pulse} + (1 - H_{\rm pulse})H_{\rm bkgd}.$$
 (11)

During the pulse, different fractions of the population may occupy the unfolded (U), intermediate (I), and native (N) states. The labeling of any amide during the pulse ( $H_{pulse}$  in Eq. (11)) includes all of the labeling at that position summed over these states, as in Eq. (12), where  $f_x$  is the fraction present in each state during the pulse (evaluated by spectroscopic or other experiments)

$$H_{\text{pulse}} = f_{\text{U}}H_{\text{U,pulse}} + f_{\text{I}}H_{\text{I,pulse}} + f_{\text{N}}H_{\text{N,pulse}}.$$
 (12)

For each amide, the contribution of the U state to  $H_{\text{pulse}}$  ( $H_{\text{U,pulse}}$ ) at each experimental pH can be obtained by calculation from Eq. (13), using the standard calibrations for  $k_{\text{ch}}$  [14–16]

$$H_{\rm U,pulse} = 1 - \exp(-k_{\rm ch}t_{\rm p}). \tag{13}$$

The contribution of the N state  $(H_{N,pulse})$  is obtained by passing deuterated native protein through the experimental protocol (for each pulse time and/or pulse pH). The observed H-label of the native state  $(H_{N,obs})$  is corrected for background labeling  $(H_{N,bkgd})$ ; from a no-pulse experiment) to obtain the H-labeling of the native state during the pulse  $(H_{N,pulse})$ , just as described before (Eq. (11)) but with N as the starting material.

The results are visualized as in Fig. 4. The data are fit using Eq. (7) to obtain  $k_{op}$  and  $k_{cl}$  at each measured residue. In this application,  $H_{I,pulse}$  is  $H_{label}$  in Eq. (7). The  $H_{obs}$  data points can be fit directly using the independently evaluated fixed parameters in the fitting equations. Alternatively each  $H_{obs}$  data point can be separately recomputed as the  $H_{I,pulse}$  value and then all fit to Eq. (7).

For intermediates that are not very stable  $(K_{op} > 0.01)$ , it is necessary to fit the data with the complete HX equation (Eq. (7)) rather than with the steady-state equation (Eqs. (2) or (3)). This is because the steady-state equation does not account for the fraction of the open form that gets immediately



Fig. 4. Illustrative pulse labeling results for a trapped Cyt c intermediate [35]. All of the amides in the N-terminal and C-terminal helices were protected; Val11 and Tyr97 are shown. Sites elsewhere in the protein were unprotected (e.g., Lys60 and Ile75). The general Hvidt Equation (Eq. (7)), together with the independently measured values for  $H_{bkgd}$ ,  $f_NH_{N,pulse}$ , and calculated  $k_{ch}$ , were used to fit the measured labeling data in both the EX2 (lower pH) and EX1 (higher pH) regions to obtain equilibrium and kinetic parameters of the protecting structure (solid colored curves, keyed to the Cyt c foldons in Fig. 6). The colored dashed curves show the labeling of the intermediate alone ( $f_1H_{I,pulse}$ ) after subtracting the background labeling ( $H_{bkgd}$ ,  $f_NH_{N,pulse}$ ) measured in control experiments. For comparison, the black dashed curve shows the labeling expected for each amide if it were fully unprotected in the intermediate population ( $f_I = 0.85$ ).

exchanged (neither EX1 nor EX2) at the time of applying pulse. It can be noted that if structure is present but relatively unstable and the first term in Eq. (7) is ignored (Eq. (2)), or if the terms  $H_{bkgd}$ ,  $H_{N,pulse}$ , and  $H_{U,pulse}$  are significant and they are ignored, the effect will be to underestimate the apparent protection and to overestimate the computed  $K_{op}$  and  $k_{op}$ .

## 3.3. Illustrative results

Some results for a trapped kinetic folding intermediate of cytochrome c (Cyt c) are shown in Fig. 4 [35]. After a pre-folding time of 100 ms to allow complete intermediate formation ( $\tau_{U\rightarrow I} \sim 12$  ms from fluorescence), pulse labeling was done as a function of pH (pH 7.5–10), with a constant pulse time of 50 ms.

The colored solid curves in Fig. 4 fit the measured pH-dependent labeling data for each amide ( $H_{obs}$ ) with the complete HX equations (Eqs. (7)–(13)), including the known background contributions, with no assumption about HX mechanism (EX1 or EX2). The fitting pa-

rameters are  $k_{op}$  and  $k_{cl}$ . The colored dashed curves show the pulse labeling accumulated by each amide in the kinetic intermediate alone ( $H_{I,pulse}$ ), after subtracting the labeling of the native protein during the pulse ( $f_N H_{N,pulse}$ ) and during the sample workup ( $H_{bkgd}$ ) ( $f_U$ was 0). A comparison of the colored curves (solid vs. dashed) indicates the size of the corrections. The black dashed curves show the labeling that would be obtained for each amide if it were unprotected ( $k_{ch}$ ) in the intermediate population, calculated as described before (Eq. (13)). Maximum labeling is 0.85 because 15% of the protected native state ( $f_N = 0.15$ ). The degree of protection in the intermediate is shown most directly by comparison of the two dashed curves.

For many residues (Lys60 and Ile75 shown), the data obtained fall very close to the reference curve for no structural protection. Protection was found for some other residues (Val11 and Tyr97 shown), indicating the formation of H-bonded structure. At the lower pH values, HX is in the EX2 region (Eqs. (4)

and (5)) and exchange is sensitive to structural stability, i.e., to the repeated breaking and reformation of the protecting H-bonds during the labeling pulse. The horizontal separation between the two dashed lines is controlled by the stability of the protecting structure, i.e. the ratio of  $k_{op}$  and  $k_{cl}$  (Fig. 4 and Fig. 2E). At higher pH, labeling reaches a plateau determined by the structural opening rate (EX1 region, Eq. (6)). The level at which the label levels off at high pH is controlled by the opening rate,  $k_{op}$ , and the fraction of the open form at the time of applying the pulse,  $[NH(open)]_{t=0}$  (Fig. 4 and Fig. 2E). Thus, the pH-dependent data provide site-resolved information on equilibrium stability and on structural opening and closing rates in the trapped intermediate.

The Cyt c experiment followed 46 amides [35]. All of the residues in the N-terminal and C-terminal helices were significantly protected, while most amides elsewhere in the protein were labeled at close to their reference unprotected rates. This *pattern* of protection shows that the entire N- and C-terminal helices are formed in the kinetic intermediate. Protection ( $\Delta G_{\text{HX}}$ ) is at a maximum, about 1.4 kcal/mol, where the two helices normally interact in the native protein. They fray in both directions from the interaction region, with sequentially decreasing protection apparently due to a progression in refolding  $(k_{cl})$  rather than unfolding rates  $(k_{op})$ . A surprising suggestion is that helix propagation may occur far more slowly in the condensed milieu of the globular intermediate than one finds for isolated helices. The derived  $k_{op}$  and  $k_{cl}$  values show that the intermediate unfolds and refolds repeatedly during the time it spends in the trapped state, with the average refolding rate matching the rate of initial intermediate formation independently measured by fluorescence.

## 3.4. Experimental design

One wants to maximize intermediate occupation and the number of sites that are measured. Intermediate occupation is increased when the rate of formation  $(U \rightarrow I)$  is high and loss rate  $(I \rightarrow N)$  is low. Low denaturant tends to increase the formation rate and stability of the intermediate. It may also decrease the subsequent forward rate if the blocking barrier represents a misfolding error that requires some conformational unfolding in order to repair the error and allow forward folding to resume [35,36]. Optimum folding conditions and pulse time can be ascertained by initial spectroscopic studies.

Published pulse labeling experiments have generally measured only a small number of amides. This degrades the ability to properly document intermediate structure. Another major issue is additional labeling during the sample workup and proper correction for it ( $H_{bkgd}$ above). To minimize background labeling, temperature and pH during the sample workup should be kept low (tested in trial experiments) and workup time should be minimized.

Protein concentration should be kept low to avoid aggregation, which may be more prevalent than has generally been appreciated [37,38]. Ampholytes such as Na<sub>2</sub>SO<sub>4</sub> can help to stabilize intermediates but may also promote aggregation [39]. <sup>15</sup>N-labeled samples reduce the protein concentrations necessary for the experiment.

Pulse strength (time and pH) should be adjusted to label unprotected sites while minimizing background labeling of protected sites. Relatively high pH is necessary to ensure full labeling of exposed sites during a short pulse. Accordingly almost all published pulse labeling experiments have come dangerously close to the EX1 region. The favorable view is that the experiment can then access both equilibrium and kinetic parameters. Unfortunately, published analyses have always assumed EX2 behavior (Eqs. (2)–(5)). The more complete data analysis described above is required. Rate constants in the EX1 region are best measured when the pulse time is about  $0.7/k_{op}$  [40] so that amides are about 50% labeled.

The possibly disruptive effects of a high pH pulse can be monitored spectroscopically in trial stopped-flow experiments [40,57]. Pulse pH and time should be selected accordingly. The actual buffer mixtures to be used, chosen for their pertinent  $pK_a$  values, should be tested in trial mixing experiments.

# 4. Native state HX

The HX pulse labeling experiment is applicable only when some intermediate is populated to a significant level in 3-state kinetic folding. A different approach, the native state HX method, avoids the problem of hidden kinetic intermediates by studying intermediates that exist as infinitesimally populated high energy states under native conditions. Thermodynamic principles require that protein molecules must constantly unfold and refold even under native conditions, cycling through all possible higher energy forms. These forms include all of the normal folding pathway intermediates. Under favorable conditions, this otherwise invisible cycling and the forms visited can be made to determine the HX behavior of the amino acids that they expose. The identity of the partially folded forms and their thermodynamic and kinetic properties is then revealed by the protected and unprotected sites and their measurable HX properties.

This behavior would have been obvious long ago but for several complications, especially the fact that it is often obscured by small local fluctuations dominating the measured HX. Minimally distorted local fluctuational forms that break protecting H-bonds one at a time [41,42] do not provide information about partially structured folding intermediates. The native state HX method exploits conditions—including mildly destabilizing denaturant, temperature, pressure, or pH—that selectively amplify the larger unfolding reactions so that they come to dominate exchange. Direct HX measurements can then characterize the high energy, partially unfolded intermediate forms. Under EX2 conditions, HX rates of the exposed sites depend on equilibrium unfolding, and lead to the free energy level of the individually recognizable intermediate forms (Eqs. (4) and (5)). Under EX1 conditions, HX rate depends on the rate of unfolding (Eq. (6)), providing a different basis for identifying intermediates and in addition their kinetic parameters.

# 4.1. Equilibrium mode NHX (EX2 conditions)

Equilibrium NHX experiments are straightforward. One places the protein in D<sub>2</sub>O under mildly destabilizing conditions and records 2D NMR spectra as time progresses. The decreasing amplitude of each crosspeak can be fit to a single exponential to obtain the exchange rate constant ( $k_{ex}$ ). A direct comparison of measured rate with the computed unprotected rate ( $k_{ch}$ ) for the same amide under the same conditions yields the free energy level of the controlling opening (Eqs. (4) and (5) under EX2 conditions). When the same experiment is repeated under mildly destabilizing conditions, sizeable unfolding reactions are selectively promoted and can come to dominate measured exchange. The unfoldings can then be identified and characterized.

#### 4.1.1. Illustrative results

As an example, Fig. 5A shows HX data for the amide hydrogens in the 60's helix of Cyt c (Green helix in Fig. 6). At low guanidinium chloride (GdmCl) concentration, most of the amides exchange through local fluctuations. This is shown by the lack of dependence of  $\Delta G_{\text{HX}}$  on denaturant concentration ( $m \sim 0$ ), indicating that little new surface is exposed in the transient deprotection steps that expose the different hydrogens to exchange. In contrast, the computed  $\Delta G_{\text{HX}}$  of Leu68 (Eqs. (4) and (5)) decreases sharply with increasing denaturant. Its exchange is dominated by some large unfolding reaction. At sufficiently high denaturant, but still far below the global unfolding transition, all of the amide hydrogens that are protected in the 60's helix merge into a common HX isotherm represented by Leu68, indicating that they have all become dominated by the same large unfolding. This result demonstrates a reversibly populated high energy state with the entire 60's helix unfolded as a cooperative unit. The data in Fig. 5A define the free energy level  $(\Delta G_{\rm HX})$  of this partially unfolded form (PUF) and its surface exposure (m value) relative to N [43]. (Other experiments show that the Red and Yellow  $\Omega$ -loops are also unfolded in this PUF; see scheme (14).)

Fig. 5B shows the cooperative unfolding of another unit, the 40's and 50's (Nested yellow)  $\Omega$ -loop of Cyt c. The low pH used to make the exchange of these hydrogens measurably slow also serves as the destabilant. As solution pH is decreased, all nine measurable amide hydrogens in the Nested yellow  $\Omega$ -loop merge to the same  $\Delta G_{\text{HX}}$ . A pH-dependent subglobal unfolding comes to dominate the various local unfolding reactions that control HX of the different amides at higher pH. Only the sequential amides in the Nested yellow  $\Omega$ -loop show this behavior. A similar result is seen when HX is measured as a function of GdmCl concentration at pH 7. These results define a partially unfolded state with the entire Nested yellow  $\Omega$ -loop cooperatively unfolded [20]. (The selective unfolding of this loop seems to account for the low pH equilibrium molten globule state of Cyt c [20].)

#### 4.1.2. Interpretation

The same strategy has revealed five unfolding units in Cyt c. Fig. 6A shows their structural identity. Each folding unit (foldon) represents an entire secondary structural unit or a grouping of two secondary elements. A quantity of additional experiments indicate that these foldons determine the steps in a sequential unfolding pathway [20,40,43–50]. The Nested yellow loop unfolds first, followed by the Red loop, and so on as follows:

# $NRYGB \leq nRYGB \leq nrYGB \leq nrygB \leq nrygb$ .

(14)

Because these experiments are done at equilibrium native conditions, each unfolding reaction must be matched by an equal and opposite refolding reaction, as indicated. Thus, the major unfolding sequence determined by NHX experiments defines also the major refolding pathway.

Fig. 6B shows the dependence of each unfolding reaction on denaturant. From these "crossover curves," interesting relationships can be inferred. For example, at high denaturant the usual melting experiment will appear to show a cooperative 2-state unfolding transition because only the native and globally unfolded states are significantly populated [51]. However, under more stable conditions the partially unfolded forms are more populated than the U state. Here, the protein unfolds and refolds in a multi-step way that can be detected and studied by native state HX.

These results have broad implications. The Cyt c protein is constructed of foldon building blocks that are essentially coincident with its component intrinsically cooperative secondary structural units. The cooperative unit foldons naturally generate a stepwise folding pathway. The foldons fall into place one at a time to progressively build the native structure. The pathway sequence results from the way in which the foldons are designed to interact in the native protein (Fig. 6A)



Fig. 5. Equilibrium NHX data (under EX2 conditions) for the amide hydrogens in the Cyt c 60's helix (A, [43]; Green helix in Fig. 6), and the Nested yellow  $\Omega$ -loop (B, [20]). Exchange of the different hydrogens is initially controlled by different local fluctuations. The sequentially located hydrogens converge to a common computed  $\Delta G_{HX}$  when a large unfolding that exposes all of them to exchange is enhanced by mildly destabilizing conditions. The residues exposed by each large unfolding identify the unfolding unit. The measured HX parameters define stability and size.



Fig. 6. Cooperative foldons in Cyt c, color coded in the structure (A) and in a crossover plot (B). Folding units (foldons) were defined by native state and pulse labeling HX experiments. In the protein folding sequence, the foldons are put into place one at a time, forming progressively more native-like partially unfolded forms (PUFs) (scheme (14)). The crossover plot shows the dependence on GdmCl concentration of the free energy levels of the increasingly structured PUFs.

[50,52]. The initial folding of the Blue unit provides a docking surface necessary to guide and stabilize the Green helix and loop which in turn are necessary to support the Yellow and Red loops. Thus, the folding pathway proceeds in the native format, determined by the same interactions, coded into the amino acid sequence, that produce the native structure. These same principles may well apply to other proteins more generally. Available HX information, although often limited by certain constraints (below), suggests that they do.

# 4.1.3. Limitations

Native state HX experiments have been successful with some proteins but not with others. The success of the experiment is limited by certain constraints.

A transiently visited intermediate state can be detected only if it can be made to determine the measured HX of the hydrogens that it exposes. High global stability, perhaps 9 kcal/mol or more, is desirable, because partially unfolded forms tend to have rather high  $\Delta G$ . Low global  $\Delta G$  can obscure the PUFs (consider Figs. 6B and 7). The state I' in Fig. 7, at higher  $\Delta G$  than U, will not be detected because the EX2 exchange of the hydrogens that it exposes will (usually) be dominated by the lower free energy global unfolding to U.

High protein stability and size is also required to provide a sufficiently large dynamic range in  $\Delta G$  and mwithin which different subglobal HX isotherms can be resolved. Mutational stabilization can usefully expand the dynamic range available [53]. It is interesting, however, that  $\Delta G$  and m values that are too high can be



Fig. 7. Equilibrium vs. kinetic NHX. Equilibrium NHX, done under EX2 conditions, distinguishes intermediates (I but not I') by their equilibrium  $\Delta G_{\text{HX}}$  and by their  $m^0$ ,  $\Delta H^0$ , or  $\Delta V^0$  in denaturant, temperature, or pressure dependent HX experiments, respectively. Kinetic NHX, done under EX1 conditions, distinguishes intermediates (I or I') by their unfolding rates, independently of whether they are stable relative to U, unlike eNHX. Both methods identify the residues that are exposed to exchange in the unfolding reaction.

unfavorable. In this case, initially dominant local fluctuational isotherms may merge with the global isotherm before the subglobal isotherms are sufficiently well defined [49]. Another problem, in principle, is that a given folding intermediate can escape HX detection if it is kinetically isolated. If the protein cycles through an open state more slowly than the HX time scale, it will make no measurable contribution to HX. However, such a form seems unlikely to contribute significantly to the folding flux.

To credibly distinguish HX isotherms, the separation between adjacent isotherms must be large relative to the spread within each one. This problem is exacerbated by the fact that hydrogens exposed in the same unfolding do not all show identical  $\Delta G$  values. They have some distribution due to fraying behavior, as seen in detail for the N and C helices in recent pulse labeling experiments [35]. Residual protection in the transiently unfolded state can impose further spread among HX rates [43,44].

Finally, it can be noted that not all cooperative unfoldings seen by HX necessarily represent species on the kinetic folding pathway. Local fluctuations—small dynamic perturbations of the native state—can control HX but they do not represent folding intermediates. Similarly, small local unfoldings, seen, for example, in studies of structure change in hemoglobin [54], appear to represent the reversible unfolding of one or two turns of helix. These are interesting for binding and structure change studies but probably do not connect to kinetic folding behavior.

## 4.1.4. Experimental design

The ability of NHX and pulse labeling experiments to define the structure of partially folded forms is limited by the number of hydrogens measured. Published results have been often overinterpreted based on too few measured hydrogens. (A similar statement holds for widely used spectroscopic methods, which provide even less coverage and detail.)

HX rates in a given protein are usually spread over many orders of magnitude. Lower pH allows faster exchanging hydrogens to be observed, even though the more protected hydrogens can then become untenably slow. Slow hydrogens can be more effectively studied at higher pH. When controlled by large unfoldings, slow hydrogens can also be brought onto the laboratory time scale by low concentrations of denaturant. The range of pH and denaturant that can be usefully applied is limited only by protein stability. Large destabilization will cause the transient global unfolding to dominate measured exchange, negating the ability to detect partially folded forms (see Fig. 6B).

HX is often initiated by dissolving lyophilized protein in D<sub>2</sub>O. This may be dangerous. A recommended alternative is to initiate exchange by using centrifugal gel filtration to move the protein from H<sub>2</sub>O buffer into D<sub>2</sub>O buffer. We use commercially available 3 ml spin columns (Fisher Scientific). Preswollen and washed fine grade Sephadex G25 is placed in the column and washed by spinning (low speed clinical centrifuge) 3–4 times with 2 ml of NMR buffer, followed by 0.5 ml of the experimental solution. An impressive hydrogen isotope separation, by a factor of  $10^4$ , can be obtained in this way. The procedure takes about 1 min and generally loses little protein concentration [30–32].

To minimize the experimental deadtime, the NMR instrument should be tuned and shimmed using a dummy sample before initiating H–D exchange. Any serviceable 2D NMR mode can be used for H–D analysis, or even 1D for the slowest hydrogens.

# 4.2. Kinetic mode NHX (EX1 conditions)

Equilibrium NHX done under EX2 conditions detects hidden intermediates by their equilibrium parameters ( $\Delta G_{eq}$  and  $m_{eq}$ ). An analogous experiment, kinetic NHX, done under EX1 conditions, can detect hidden intermediates by their formation rates as suggested in Fig. 7. Under EX1 conditions, the hydrogens exposed in a concerted unfolding reaction all exchange at the same rate rather than the same  $\Delta G_{HX}$  (Eqs. (4)–(6)). In this case, folding units may be accessed by the rate of the unfolding reactions that produce them. The identity of a partially unfolded intermediate state may then be defined by the amino acids that are either exposed or remain protected in the kinetically determined unfolding. This approach does not require that the intermediates are ever visibly populated or even that they exist at free energy levels lower than U (I' as well as I in Fig. 7). In addition, kinetic NHX results can show the temporal order in which recognizably different partially unfolded states are produced, and may indicate whether unfolding and refolding occur through one or multiple pathways.

## 4.2.1. Experimental design and analysis

To reach EX1 conditions, where  $k_{ch}$  exceeds  $k_{cl}$  (Eq. (6)), high pH will generally be required. For example, at pH 10 and 20 °C,  $k_{ch}$  for an average amide is  $\sim 10^4 \text{ s}^{-1}$ . This HX rate may exceed foldon reclosing rates, producing EX1 behavior. As for equilibrium NHX, the kinetic NHX method also requires that the large unfolding that leads to an intermediate form must dominate the exchange of the hydrogens that it exposes. In this case, low concentrations of denaturant or other mild destabilants can be useful in the competition with local fluctuational exchange because they promote  $k_{op}$ . In addition denaturant will slow reclosing, promoting the EX1 condition [40]. The dependence of protein stability on these parameters should be characterized initially.

Fig. 8 illustrates two experimental approaches. Kinetic NHX experiments can be done as a function of exchange time at increasing pH, as in Fig. 8A. The identity of sequential amides that open at a common rate can then identify cooperative unfolding units [55]. This approach is tedious. Experiments can be more efficiently done as a function of increasing pH, as in Fig. 8B [40].

In the case of proteins where the opening rate is slow, the kNHX experiment can be performed by dissolving the protein in  $D_2O$  and watching the change in the 2D NMR crosspeak intensities as time progresses, similar to that of eNHX (Section 4.1). However, for most proteins, at the high pH necessary to produce EX1 exchange, HX may be too fast to measure by the usual NMR experiment, even for well-protected hydrogens. A useful strategy is to expose the native protein to the high pH exchange condition during a timed pulse, using stopped-flow equipment when necessary [41,56]. Sample preparation and NMR analysis can then be done under slow HX conditions to determine the labeling obtained at the various amino acids during the high pH pulse.

To set up a kinetic NHX experiment, the approach recommended by Hoang et al. [40] is to first perform some trial experiments like those in Fig. 8A. The purpose is to determine conditions for EX1 exchange and also to infer  $k_{op}$  so that a useful pulse time can be chosen. Trial runs at two rather high pH values, probably in the pH 10 range (with due consideration for the protein stability), can test for EX1 behavior and estimate the  $k_{op}$  for the controlling opening reaction. EX1 exchange in itself is very likely to signal control by a large unfolding. Increasing denaturant can be additionally used to promote  $k_{op}$  and slow  $k_{cl}$ .

Experiments can then be done in more detail in the pH-dependent pulse mode. The deuterated native protein is mixed into H<sub>2</sub>O (e.g. 1:5 D<sub>2</sub>O:H<sub>2</sub>O) for the predetermined pulse labeling time, then quenched to low pH to stop exchange, and concentrated into D<sub>2</sub>O for NMR analysis. A series of samples pulsed to increasing pH values can be run in one sequence, using previously determined buffer mixtures. The experiment is identical to the native control experiment done for the HX pulse labeling experiment described before (Section 3.2). For data analysis, the same control experiments as before must be done to calibrate  $H_{bkgd}$  for the various residues and to determine the full labeling reference level (at 1:5 D<sub>2</sub>O:H<sub>2</sub>O). Sample handling should be designed to minimize  $H_{bkgd}$ .

In pulse experiments done at increasing pH as in Fig. 8B, the rising part of the HX labeling curve occurs in the EX2 region; the plateau region signals EX1 exchange. An experimental series done as a function of



Fig. 8. Hypothetical kinetic NHX results. Panel A simulates data taken at increasing pH as a function of HX time. Panel B simulates expected curves when HX time is held constant (pulse) and pH is varied. The data points in (A) relate to the analogous points in (B). HX is dominated by EX2 behavior at lower pH and limits at the opening rate at higher pH (EX1). The pulse time should be reasonably close to  $0.7/k_{op}$  to most sensitively measure  $k_{op}$  and  $k_{cl}$ .

pH can measure the entire transition between EX2 and EX1 conditions. Results will be most accurate when the pulse time is set in a range near  $0.7/k_{op}$  [40].

Since the pulse labeling is done with the native protein, Eq. (7) simplifies to Eq. (15). The usual HX time variable becomes the constant pulse time  $(t_p)$  and  $k_{ex}$  is given by Eq. (3) with  $k_{ch}$  set at the computed unprotected HX rate [14–16].  $H_{label}$  (=  $H_{pulse}$ ) is calculated from  $H_{obs}$  and  $H_{bkgd}$  (Eq. (11))

$$H_{\text{label}} = 1 - \exp(-k_{\text{ex}}t_{\text{p}}). \tag{15}$$

For each amide, the pH-dependent data (as in Fig. 8B) can then be fit with Eq. (15), yielding  $k_{op}$  and  $k_{cl}$ , and hence  $K_{op}$  and  $\Delta G_{HX}$ . A concerted unfolding unit can then be recognized by a common  $k_{op}$  value shared by sequential amides. Eq. (15) shows why the experiment can be done as a function of either pulse time or pH.

The laboratory work involved in a pH-dependent series, or in the limited pH-dependent trial suggested, including buffer preparation, labeling experiments, sample workup, and NMR analysis each requires about one week.

It is important to note that any change in  $k_{\text{ex}}$  as a function of solution pH can also arise from the pH dependence of protein stability and also  $k_{\text{op}}$  and  $k_{\text{cl}}$  [17]. This possibility can be tested by monitoring the change

in protein stability or the folding and unfolding rates with pH.

In some cases, as solution pH is increased, the HX rate reaches a plateau level depending on the  $k_{op}$  value, and the rate begins to rise again. The renewed rise may be due to high pH destabilization of the protein [40]. Alternatively, the amides may experience two different processes [59]: EX1 exchange through a lower free energy opening reaction, and EX2 exchange through a higher free energy opening reaction. Control experiments can be done to test these possibilities.

## 4.2.2. Illustrative results

Fig. 9 shows kinetic NHX results for four amides, taken from a much larger number that defined the reversible concerted unfolding of the Red and the Nested yellow  $\Omega$ -loops in Cyt c [20,40,57]. In each case, a brief labeling pulse was used (75 and 33 ms, respectively). Labeling occurs in an EX2 manner at lower pH and limits at an EX1 plateau at higher pH. Fitting of the pH-dependent data as just described yields the structural parameters  $k_{op}$ ,  $k_{cl}$ , and then  $K_{op}$  and  $\Delta G_{op}$ , for each protected amide. Essentially the same opening rate was found for the various amides in each loop, demonstrating their concerted unit unfolding. However, somewhat different reclosing rates within a concerted



Fig. 9. Some illustrative kinetic NHX results. The colored curves are taken from results for the Nested yellow [20,57] and Red [40,57]  $\Omega$ -loops of Cyt c. The amides show EX2 exchange at lower pH and a limiting EX1 rate at high pH, indicating HX by way of an unfolding reaction that includes the entire  $\Omega$ -loop in each case.

unit have been commonly observed, perhaps due to fraying behavior [35].

The same kinetic NHX experiments were able to rank the temporal order of unfolding for the known Cyt c foldons [20,40]. The results placed the foldons in the same pathway order previously inferred from equilibrium native state and pulse labeling experiments (reaction scheme (14)).

# 5. Final note

The methods summarized here were designed to study protein folding behavior. The results so far obtained lead to an interesting picture of protein structure itself. It appears that globular proteins are constructed of recognizably separate, individually cooperative building blocks, termed foldons. The foldons maintain their separately cooperative nature within the native protein. Stepwise protein folding pathways arise as a consequence of this unit substructure and the way that the units interact in the native protein. Protein folding, it seems, is an epiphenomenon of the foldon substructure. Recent work further suggests that the very same foldon substructure can underlie a number of other functional and evolutionary properties, in addition to the folding process [20,57].

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